2.2 Defining the Derivative

Calculus Name: CA fr2 Find the derivative using limits. If the equation is given as $y =$, use Leibniz Notation: $\frac{dy}{dx}$. If the equation is given as $f(x) =$, use Lagrange Notation: $f'(x)$. WRITE SMALL!! 1. $y = 2 + 10x - x^2$ 2. $f(x) = \frac{1}{x+7}$	2.2 Denning the Derivativ		CA #2	
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3. $y = \sqrt{6x + 5}$

For each problem, create an equation of the tangent line of <i>f</i> at the given point.			
4. $f(6) = 2$ and $f'(6) = -8$ f'(x) = 2x - 3x f'(x) = 2 - 6x	f^2 6. $f(x) = \tan(5x)$		
For each problem, use the information given to identify the meaning of the two equations in the context of the problem. Write in full sentences!			
7. <i>W</i> is the amount of water (measured in gallons) in Mr. Brust's hot tub. <i>t</i> is the number of minutes since Mr. Brust unplugged the drain for the function $W(t)$. W(10) = 13 and $W'(7) = -4.3$	 8. V(t) is the volume of an ice cube measured in cubic centimeters and t is the number of seconds since the ice cube was plated on a plate. V(135) = 28 and V(1000) = -0.02 		
$\frac{1}{2} \text{ for } 2.2 \text{ CA } \#2$ $\frac{-6}{5} \frac{5}{5} \frac{7}{7} + 16 = 14(x+2) 6. y-1 = 10 \left(x - \frac{\pi}{20}\right)$ $8. \text{ After } 135 seconds, the volume of the ice cube is 28 cm3. On the 1000m second, the ice cube is shrinking by 28 cm3. Cm3/sec. Cm3/sec.$	Answer Market Register in the transformation of transforma		