

## 8.12 Washer Method: Revolve Around Other Axes

Calculus

Name: \_\_\_\_\_

**CA #2**

A region  $S$  is bounded by the graphs of  $y = x^2$  and  $y = 2x$ .

1. Sketch the graph and find the area of region  $S$ .

2. Let  $S$  be the base of a solid with cross sections perpendicular to the  $x$ -axis that form a semicircle. Find the volume of this solid. [Use a calculator after you set up the integral.]

3. Let  $S$  be the base of a solid with cross sections perpendicular to the  $y$ -axis that form isosceles right triangles. Find the volume of this solid. [Use a calculator after you set up the integral.]

Write the equation for the “big radius” and the “little radius” for the solid of revolution when revolving  $S$  around the given line. Then setup the integral to find the volume of the solid formed. **DO NOT EVALUATE.**

4. The line  $y = 4$ .

$R =$

$r =$

$V =$

5. The line  $x = 2$ .

$R =$

$r =$

$V =$

6. The line  $x = -1$ .

$R =$

$r =$

$V =$

$1. A = \int_0^2 (2x - x^2) dx = 1.333$	$2. V = \int_0^2 \frac{2}{x} \left( \frac{2}{2x-x^2} \right) dx = 0.41887$
$3. V = \int_0^2 \sqrt{\frac{2}{x}} dy = 0.26666$	$4. V = \int_0^2 \pi \int_2^4 [(4-x)^2 - (4-2x)^2] dx$
$5. V = \int_0^4 \pi \int_2^4 \left[ (2-\frac{z}{2})^2 - (2-\frac{z}{4})^2 \right] dz$	$6. V = \int_0^4 \pi \int_2^4 [(1+\sqrt{y})^2 - (1+\frac{z}{2})^2] dy$